

Objectives: Classify polygons based. Find and use the measures of interior and exterior angles of polygons.

Polygon: a 2-dimensional, closed figure made from 3 or more line segments.

- **Diagonal:** connects two non-adjacent vertices.
- **Regular Polygon:** a polygon which is both equilateral and equiangular.
- **Concave Polygon:** if any diagonal is on the exterior of the polygon. (these cave-in, and look weird)
- **Convex Polygon:** all diagonals are in the interior of the polygon. (these are more round, and look normal)

EX 1: Describe the polygon using 2 words.

a) equilateral quadrilateral  b) regular pentagon  c) dodecagon 

Interior Angles of Polygons: Divide the polygons by drawing all the diagonals from one vertex

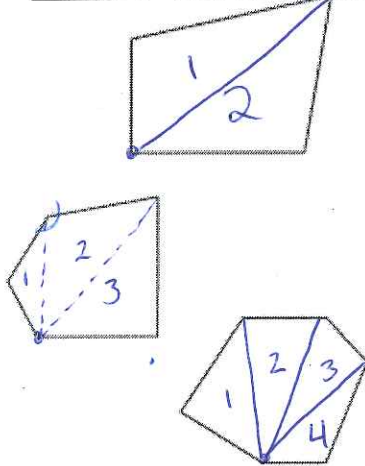


Figure	# of Sides	# of Triangles	Expression for Sum of Angles	Sum of Degrees
triangle	3	1	1(180)	180°
quadrilateral	4	2	2(180)	360°
pentagon	5	3	3(180)	540°
hexagon	6	4	4(180)	720
heptagon	7	5		900
octagon	8	6		1080
n-gon	n	n-2	$(n-2)180$	$(n-2)(180)$

- Sum of Interior Angles = $(n-2)(180)$
- One Angle on a Regular Polygon = $\frac{(n-2)(180)}{n}$

EX 2: Find the sum of the interior angles of a convex octagon.

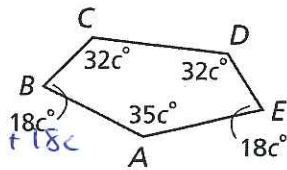
$n=8$
 $Sum(8-2)(180)$
 $6(180)$
1080

EX 3: Find the measure of each interior angle of a regular nonagon.

$n=9$
 $S=(9-2)(180)$
 $7(180)$
 $\frac{1260}{9} = 140$
 1260
 140 each

EX 4: Find the value of c.

Pent. = 540
 $32c + 32c + 35c + 18c + 18c = 540$
 $135c = 540$
 $c = 4$



Exterior Angles of Polygons:

- Sum of Exterior Angles = 360 (doesn't matter what shape)
- One Exterior Angle of a Regular Polygon = $\frac{360}{n}$

EX 5: Find the measure of each exterior angle of a regular hexagon.

$n=6$
 $\frac{360}{6} = 60^\circ$

EX 6: Find the value of b.

$33b + 16b + 10b + 28b + 15b + 18b = 360$
 $120b = 360$
 $\frac{120b}{120} = \frac{360}{120}$
 $b = 3$

